

31 август 2018г.

7. Write the observational program for this night on a 40-cm telescope.
What stars would you observe this night? Write sequence of the observations.
Stars to observe:

		V (mag)	α	δ (1950)
1	η Aql	3 ^m .5	19 ^h 49 ^m .9	0° 53'
2	β Per	2.1	3 04.9	40 46
3	χ Cyg	14.2	19 48.6	32 47
4	R Aqr	12.4	23 41.2	-15 34
5	α Ori	1.3	5 52.4	7 24
6	RW Vir	6.7	12 04.7	-6 29

Moon rise: 21:17:26, phase 0.77

Sideral time for 0^h s₀ = 0:31:04

You may use all observational time (since 20h till 5h 30 min).

Local time LT=UT+3

Coordinates of observatory $\lambda = 2^h 16^m$ $\varphi = 44^\circ 43'$

Put your result into the table:

Star	Interval of observation
-------------	--------------------------------

Stars that could not be included in the program:

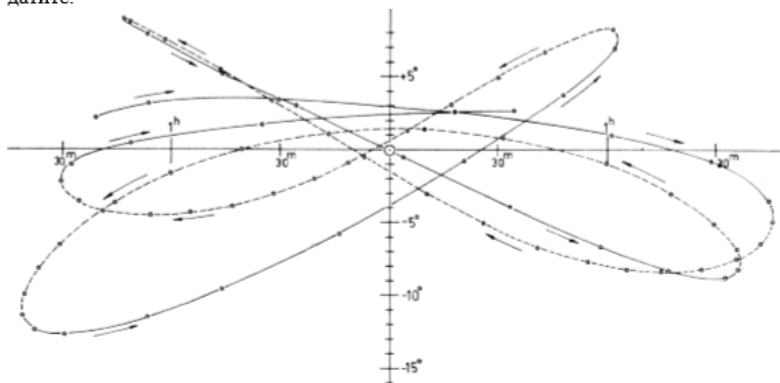
Explanations and notes:

31 август 2018г.

6. **Motion of a planet.** Most of the time, planets move from west to east relative to the background stars. Occasionally, however, they change direction and temporarily undergo retrograde motion. After a few weeks, the direction is changed again. The apparent motion of a planet was observed in Hangzhou this year. Table 1 lists the values of the 24 hour angular displacement of the planet relative to the background stars (simplified as ADRS) on the day that the observation was made. Modified Julian Day ($MJD = JD - 2400000.5$) are used for the dates. Minus means the direction is from east to west.
- 6.1. Find the date (MJD) when the planet is at stationary point (simplified as STP) and at opposition (simplified as OPP) graphically, respectively. Accurate to one day. Write your answer in table 2.
- 6.2. What's the value of 24 hour angular displacement of the planet per day when it is at opposition? Write your answer in table 2.
- 6.3. On the basis of the result of question 2, estimate the radius of the planet's orbit in astronomical units. Suppose the orbits of Earth and the planet are both circular and the planet is in ecliptic plane.

Modified Julian Day	ADRS (degrees/day)		
54944	0.15	55055	-0.13
54965	0.1	55062	-0.13
54975	0.07	55074	-0.12
54989	0.03	55084	-0.1
55001	-0.01	55092	-0.08
55014	-0.05	55099	-0.06
55020	-0.07	55109	-0.03
55032	-0.1	55121	0.01
55043	-0.12	55133	0.05

На фигурата са изобразени положенията спрямо Слънцето на някаква планета, наблюдавани на земното небе през равни интервали от време. Началната точка на траекторията съответства първи януари някоя година. По абсисната ос е нанесена разликата в ректасцензиите на Слънцето и планетата, а по ординатната ос – разликата в деклинациите. Да се определи коя е планетата. Определете датата на която планетата ще се отдалечи на максимално ъглово разстояние от Слънцето. Определете датата на която планетата преминава по диска на Слънцето. Оценете грешката при определяне на датите.



(D2) Distance to the Moon

Geocentric ephemerides of the Moon for September 2015 are given in the form of a table. Each reading was taken at 00:00 UT.

31 август 2018г.

Date	R.A. (α)			Dec. (δ)			Angular Size (θ)	Phase (ϕ)	Elongation
	h	m	s	°	'	"	"		Of Moon
Sep 01	0	36	46.02	3	6	16.8	1991.2	0.927	148.6° W
Sep 02	1	33	51.34	7	32	26.1	1974.0	0.852	134.7° W
Sep 03	2	30	45.03	11	25	31.1	1950.7	0.759	121.1° W
Sep 04	3	27	28.48	14	32	4.3	1923.9	0.655	107.9° W
Sep 05	4	23	52.28	16	43	18.2	1896.3	0.546	95.2° W
Sep 06	5	19	37.25	17	55	4.4	1869.8	0.438	82.8° W
Sep 07	6	14	19.23	18	7	26.6	1845.5	0.336	70.7° W
Sep 08	7	7	35.58	17	23	55.6	1824.3	0.243	59.0° W
Sep 09	7	59	11.04	15	50	33.0	1806.5	0.163	47.5° W
Sep 10	8	49	0.93	13	34	55.6	1792.0	0.097	36.2° W
Sep 11	9	37	11.42	10	45	27.7	1780.6	0.047	25.1° W
Sep 12	10	23	57.77	7	30	47.7	1772.2	0.015	14.1° W
Sep 13	11	9	41.86	3	59	28.8	1766.5	0.001	3.3° W
Sep 14	11	54	49.80	0	19	50.2	1763.7	0.005	7.8° E
Sep 15	12	39	50.01	-3	20	3.7	1763.8	0.026	18.6° E
Sep 16	13	25	11.64	-6	52	18.8	1767.0	0.065	29.5° E
Sep 17	14	11	23.13	-10	9	4.4	1773.8	0.120	40.4° E
Sep 18	14	58	50.47	-13	2	24.7	1784.6	0.189	51.4° E
Sep 19	15	47	54.94	-15	24	14.6	1799.6	0.270	62.5° E
Sep 20	16	38	50.31	-17	6	22.8	1819.1	0.363	73.9° E
Sep 21	17	31	40.04	-18	0	52.3	1843.0	0.463	85.6° E
Sep 22	18	26	15.63	-18	0	41.7	1870.6	0.567	97.6° E
Sep 23	19	22	17.51	-17	0	50.6	1900.9	0.672	110.0° E
Sep 24	20	19	19.45	-14	59	38.0	1931.9	0.772	122.8° E
Sep 25	21	16	55.43	-11	59	59.6	1961.1	0.861	136.2° E
Sep 26	22	14	46.33	-8	10	18.3	1985.5	0.933	150.0° E
Sep 27	23	12	43.63	-3	44	28.7	2002.0	0.981	164.0° E
Sep 28	0	10	48.32	0	58	58.2	2008.3	1.000	178.3° E
Sep 29	1	9	5.89	5	38	54.3	2003.6	0.988	167.4° W
Sep 30	2	7	39.02	9	54	16.1	1988.4	0.947	153.2° W

The composite graphic¹ below shows multiple snapshots of the Moon taken at different times during the total lunar eclipse, which occurred in this month. For each shot, the centre of frame was coinciding with the central north-south line of umbra.

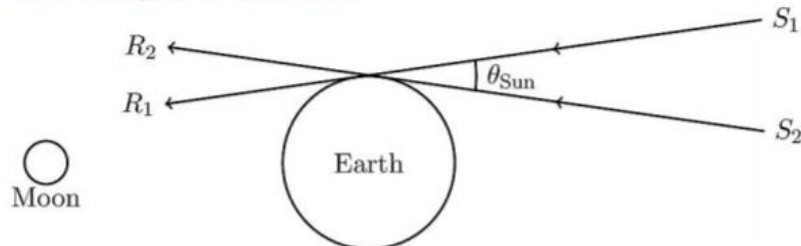
For this problem, assume that the observer is at the centre of the Earth and angular size refers to angular diameter of the object / shadow.

31 август 2018г.



- (D2.1) In September 2015, apogee of the lunar orbit is closest to New Moon / First Quarter / Full Moon / Third Quarter. 3
Tick the correct answer in the Summary Answersheet. No justification for your answer is necessary.
- (D2.2) In September 2015, the ascending node of lunar orbit with respect to the ecliptic is closest to New Moon / First Quarter / Full Moon / Third Quarter. 4
Tick the correct answer in the Summary Answersheet. No justification for your answer is necessary.
- (D2.3) Estimate the eccentricity, e , of the lunar orbit from the given data. 4
- (D2.4) Estimate the angular size of the umbra, θ_{umbra} , in terms of the angular size of the Moon, θ_{Moon} . 8
Show your working on the image given on the backside of the Summary Answersheet.
- (D2.5) The angle subtended by the Sun at Earth on the day of the lunar eclipse is known to be $\theta_{\text{Sun}} = 1915.0''$. In the figure below, S_1R_1 and S_2R_2 are rays coming from diametrically opposite ends of the solar disk. The figure is not to scale. 9

OF THE SUN'S DISK. THE FIGURE IS NOT TO SCALE.



Calculate the angular size of the penumbra, θ_{penumbra} , in terms of θ_{Moon} . Assume the observer to be at the centre of the Earth.

- (D2.6) Let θ_{Earth} be angular size of the Earth as seen from the centre of the Moon. Calculate the angular size of the Moon, θ_{Moon} , as would be seen from the centre of the Earth on the eclipse day in terms of θ_{Earth} . 5
- (D2.7) Estimate the radius of the Moon, R_{Moon} , in km from the results above. 3
- (D2.8) Estimate the shortest distance, r_{perigee} , and the farthest distance, r_{apogee} , to the Moon. 4
- (D2.9) Use appropriate data from September 10 to estimate the distance, d_{Sun} , to the Sun from the Earth. 10